

iGEM MEXICO 2007



"Biological implementation of algorithms"

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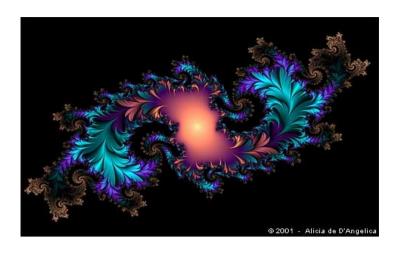
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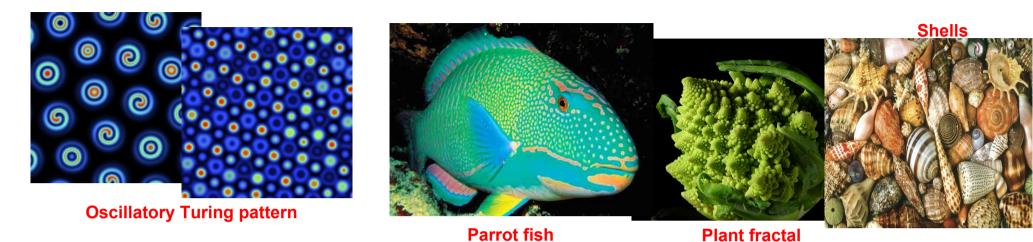
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INTRODUCTION

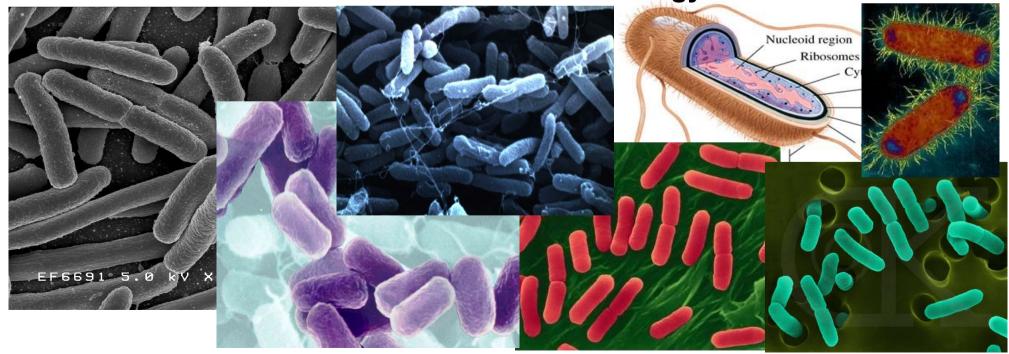


- How structures emerge in living systems? Several mechanisms have been proposed, depending on the observed patterns: Turing patterns.
- It is still questioned if pattern formation and more generally, the appearance of functional structures can be understood by means of Turing patterns or more broadly, reaction-diffusion mechanims.
- One of the main goals of our project is to test different pattern formation mechanisms, not only Turing patterns, but also oscillatory and time varying structures.
- We propose that if the appropriate genetic construction is implanted in a colony of bacteria, the reaction-diffusion mechanism can be replaced by a genetic control system (Elowitz repressilator).
- In order to model these systems, we use Stochastic Pi-Calculus.

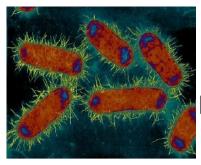
Our main interest is to reproduce complex patterns in biological systems



We chose *Escherichia coli* because is easily manipulated and there is a lot of information about its biology



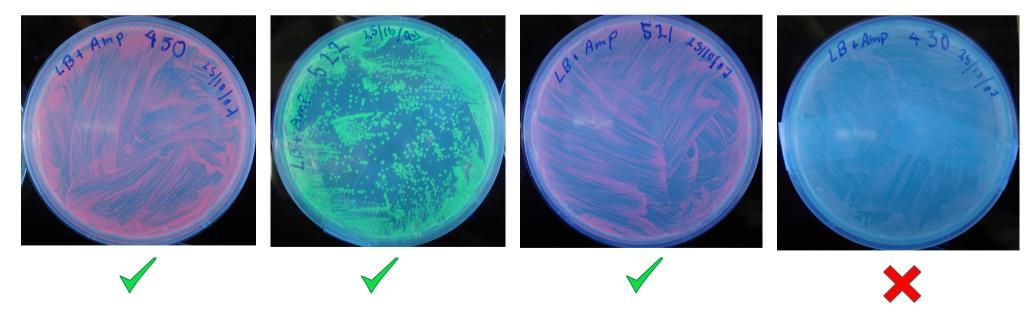
And is frequently used as a molecular biology model!!!!



Do bacteria create complex patterns when cultivated on semisolid agar?

We transformed *E. coli* JM109 with biobricks Bba_I13521, Bba_I13522, Bba_J04430 and BBa_J04450.

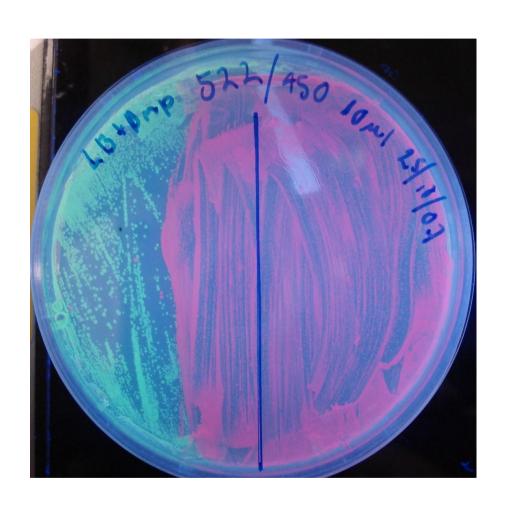
Individual clones were visualized!!!

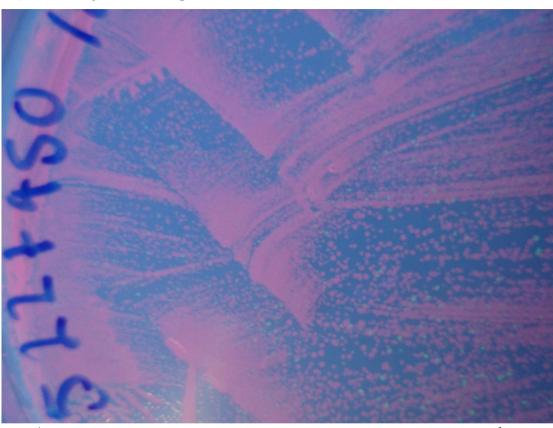


Too many bacteria!!!!!

Experiment

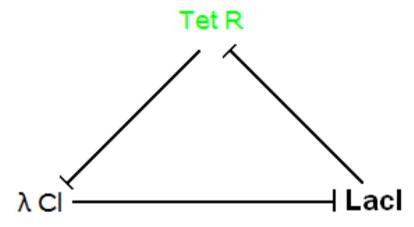
Plate *E. coli* that produce GFP and RFP separately and together...

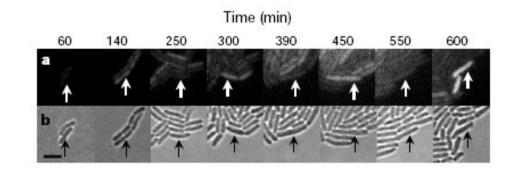






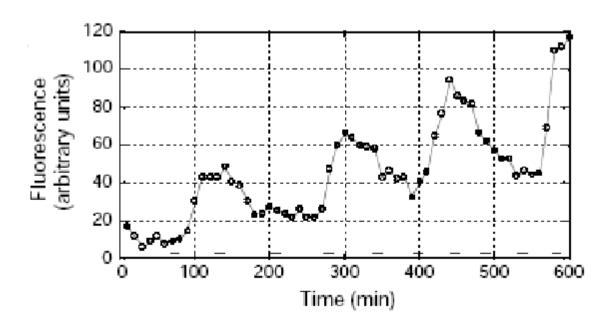
Elowitz



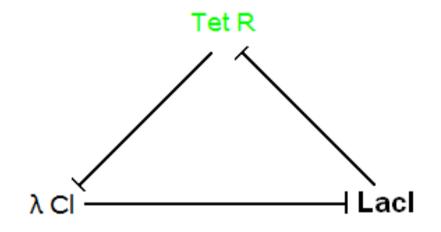


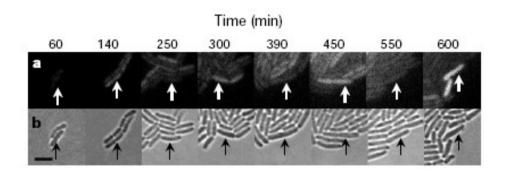
-Nature 403, 335 (2000)





Elowitz





-Nature 403, 335 (2000)

.Syncronyzation

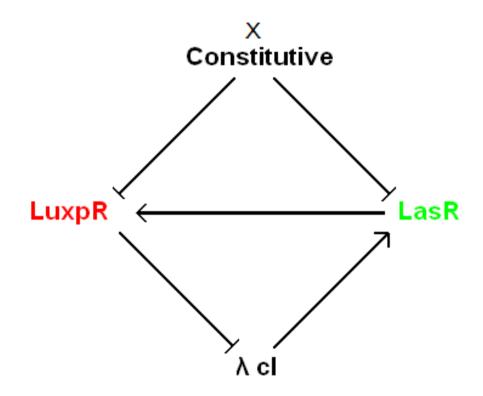
-Positive control

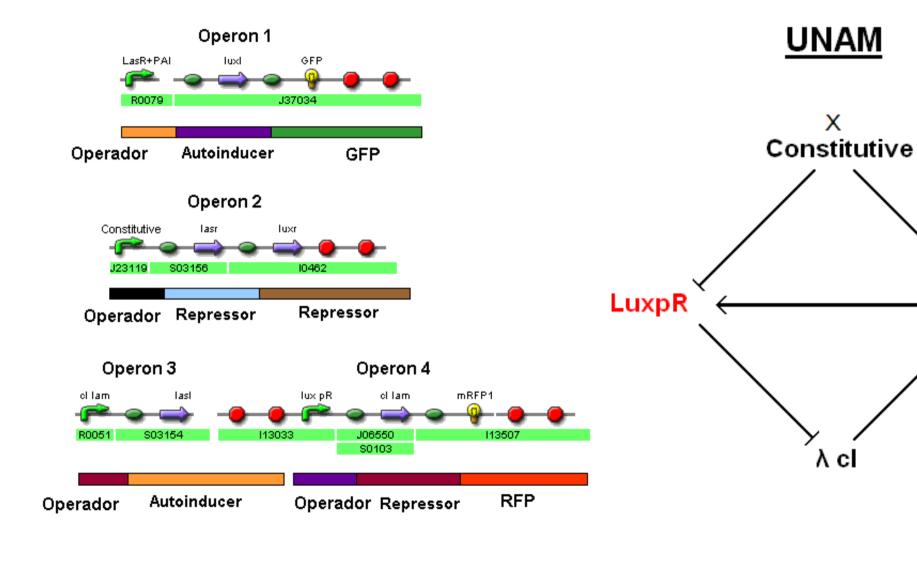
<u>Elowitz</u>

Tet R λ CI Lacl

-Nature 403, 335 (2000)

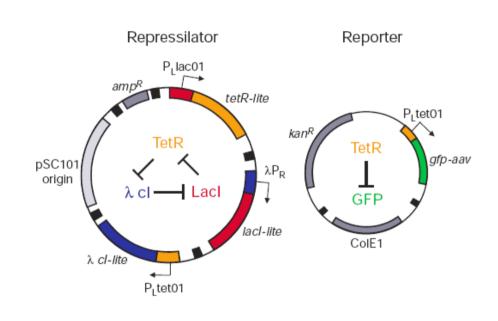
<u>UNAM</u>

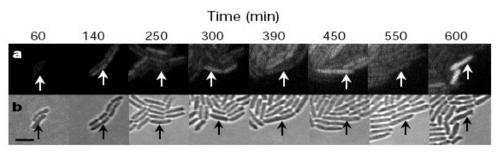




LasR

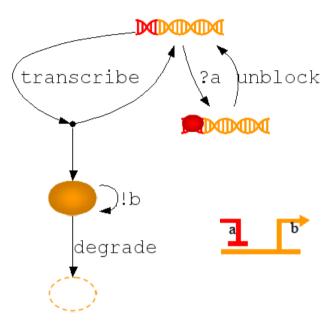
Stochastic Pi -Calculus





- Stochastic Pi-Calculus as modeling tool for biology.
- Stochastic Pi-Calculus is suitable to model kinetic processes in physical chemistry.
- The simulation algorithm was mapped to functional program code, which was used to implement the SPiM simulator.

Elowitz: Genes with Negative Control

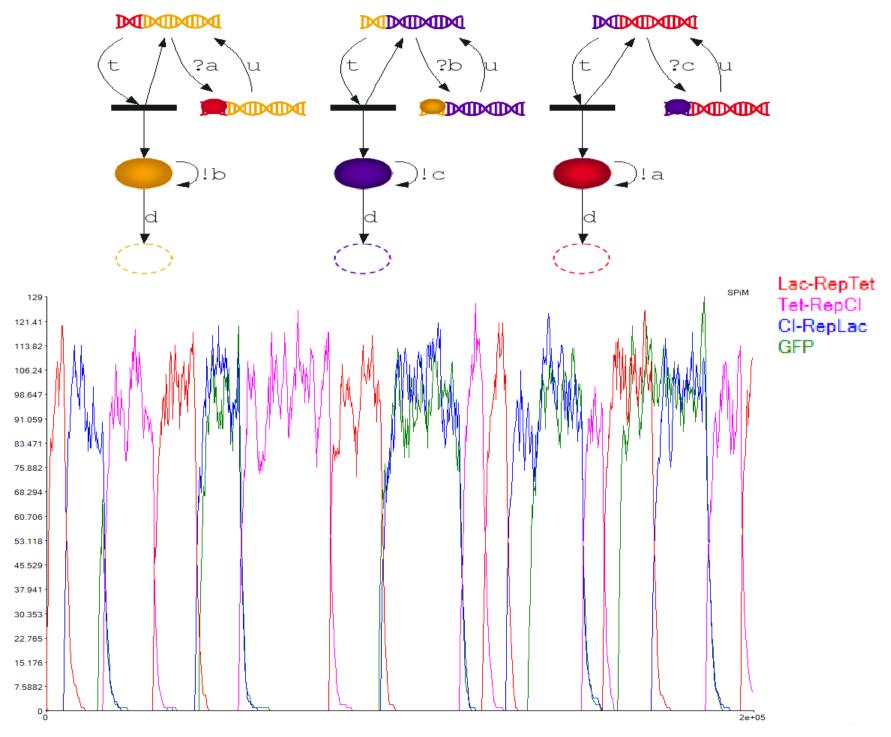


Stochastic Pi Calculus Construction:

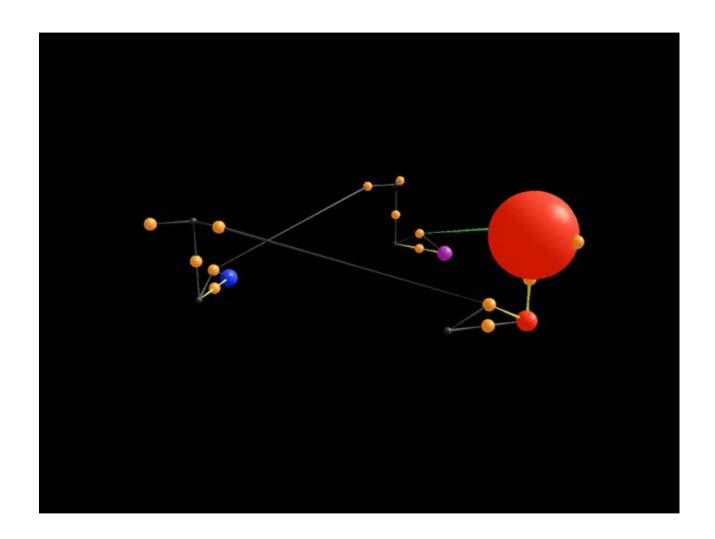
- g'(a.b)= T₁. g(a,b)
- $P(b) = !b . P(b) + T_d . 0$

```
Stochastic Pi-Machine code:
val transcribe = 0.1 val degrade = 0.001
val unblock = 0.0001 val bind=1.0
                     new b@bind:chan
new si@bind:chain
new c@bind:chan
let Neg(a:chan,b:chan) =
 do delay@transcribe;
   (Protein(b) | Neg(a,b))
 or ?a; Blocked(a,b)
and Blocked(a:chan,b:chan) =
 delay@unblock; Neg(a,b)
and Protein(b:chan) =
 do !b; Protein(b)
 or delay@degrade
```

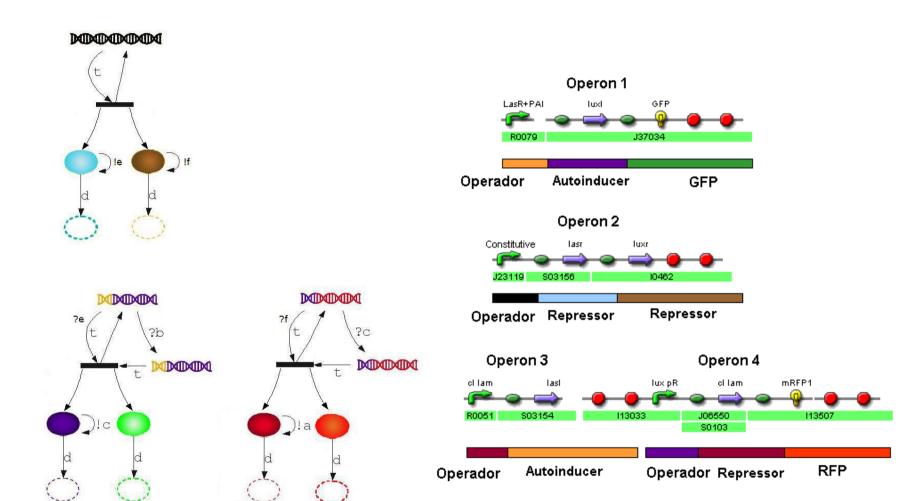
run Neg(a,b) | Neg(b,c) | Neg(c,a))

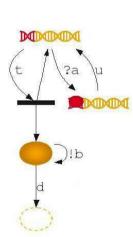


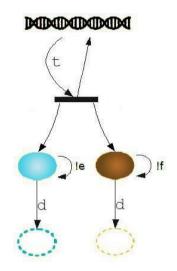
©Andrew Phillips 2007. The Stochastic Pi Machine (SpiM). Version 1.12

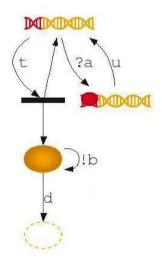


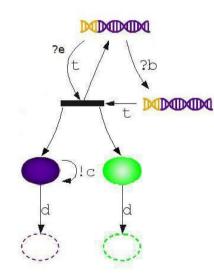
IGEM México Construction

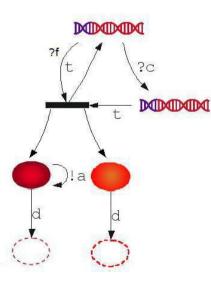












•
$$g(a,b)= ?a \cdot g' \cdot (a,b)$$

 $+ T_{t} \cdot (P(b)|g(a,b))$
 $g'(a.b)= T_{u} \cdot g(a,b)$
 $P(b)= !b \cdot P(b)$
 $+ T_{d} \cdot 0$

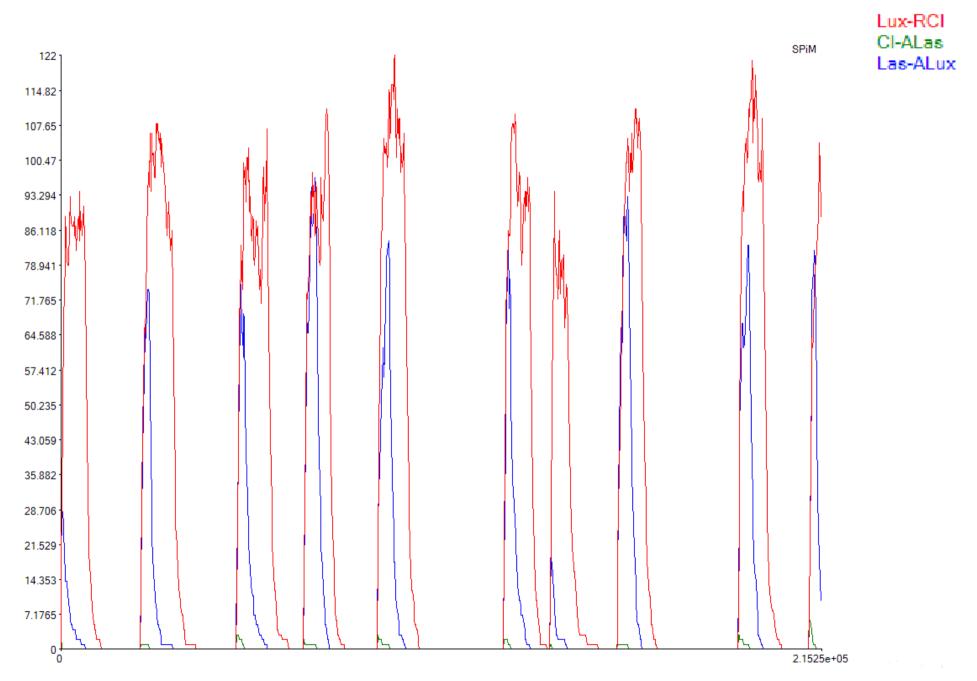
$$g(b,c) = ?b \cdot g'(b,c) + ?e.Tt \cdot (P(b)|GFP()|g(a,b)) g'(b,c) = Tu \cdot (P(c)|GFP()| g(b,c)) P(c) = !c \cdot P(c) + Td · 0 GFP() = Td · 0$$

•
$$g(c,a)= ?c . g'(c,a)$$

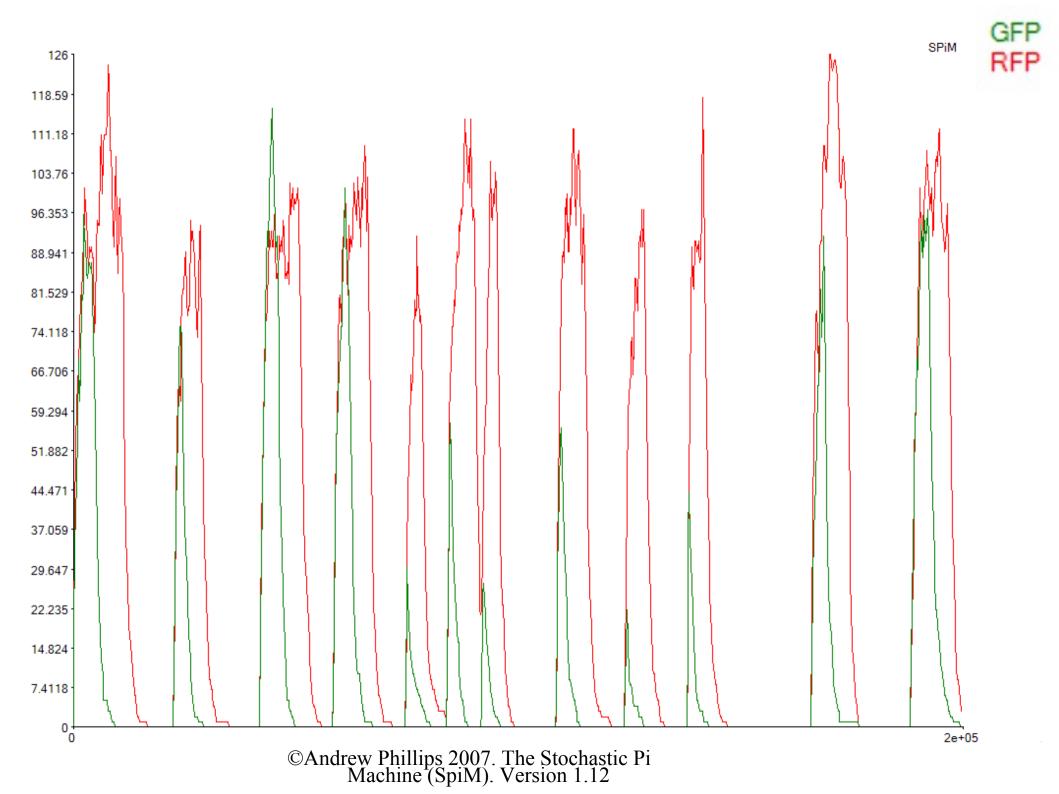
+ $?f.T_t$
. $(P(a)|RFP()|g(c,a)$
 $g'(c,a)= T_u . (P(a)|RFP()|g(c,a))$

P(a)= !a . P(a)
$$+ T_d . 0$$
 RFP()= $T_d . 0$

$$Y(t) = T_{t} \cdot (P(e)|P(f)|X(t))$$
 $Y(e) = !e \cdot P(e) + T_{d} \cdot 0$



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Conclusion

It is reasonable to suggest that the structures we observed in our experiments are in fact Turing patterns. More specifically of the activator-substrate type.

We still have to measure how the constructions affect the division kinetics of the two strains. The simulations indicate that, under certain parameters, our construction might indeed be functional, since the model predicts particular oscillations of protein concentration levels.

We intend to corroborate these results experimentally; and see if the colony of engineered cells with these construction gets synchronized to obtain Turing Patterns or at least another interesting structures.

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